STELLA MARIS COLLEGE (AUTONOMOUS) CHENNAI 600 086 (For candidates admitted from the academic year 2011-12& thereafter)

SUBJECT CODE :11MT/PE/FD44

M. Sc. DEGREE EXAMINATION, APRIL 2016 BRANCH I – MATHEMATICS FOURTH SEMESTER

COURSE	: ELECTIVE
PAPER	: FLUID DYNAMICS
TIME	: 3 HOURS

MAX. MARKS: 100

SECTION – A

(5 X 2 = 10)

- 1. Define acceleration of a fluid.
- 2. State Kelvin's theorem.
- 3. Define simple source.

ANSWER ALLQUESTIONS :

- 4. State Blasius theorem.
- 5. What is laminar flow?

SECTION – B

ANSWER ANY FIVEQUESTIONS :

 $(5 \times 6 = 30)$

- 6. At the point in an incompressible fluid having spherical polar coordinates, the velocity components are $(2Mr^{-3}\cos\theta, Mr^{-3}\sin\theta, 0)$ where *M* is a constant. Show that the velocity is of the potential kind. Find also the velocity potential.
- 7. Derive Euler's equation of motion.
- 8. Prove that for irrotational incompressible two-dimensional flow, stream function and velocity potential are harmonic functions.
- 9. Discuss the flow due to a uniform line doublet at O of strength μ per unit length, its axis being along \overline{OX} .
- 10. Discuss the steady viscous flow in tubes of uniform cross section.
- 11. Discuss the flow for which $w = z^2$.
- 12. Using the theorem of Blasius disucss the motion in an infinite circular cylinder in uniform stream with circulation.

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(3 X 20 = 60)

SECTION – C

ANSWER ANY THREEQUESTIONS :

- 13. Drive the equation of continuity. Hence derive the equation of continuity for (i) steady flow (ii) incompressible fluid (iii) flow of potential kind.
- 14. Prove Kelvin's theorem and write the results that stem from Kelvin's theorem.
- 15. a) State and prove Milne-Thomson's circle theorem.b) Obtain the complete velocity potential for a line doublet parallel to the axis of a right circular cylinder.
- 16. Derive the Navier-Stoke's equation of motion of a viscous fluid.
- 17. a) Define (i) doublet

(ii) strength of the doublet

(iv) axis of the doublet

(iii) vector moment of doubletb) Discuss doublet in a uniform stream.