

Scheme of Valuation / Solution

B.Sc. Physics – Thermal Physics and Statistical Mechanics – 11PH /MC /TS 24

Section – A (1 mark each) - Time: 30 minutes

I – Choose the correct Answer (Multiple choice Q's)

1. D
2. C
3. B
4. D
5. B
6. C
7. D
8. B
9. C
10. A
11. A
12. B
13. C
14. D
15. A

II – Fill-in the blanks

16. Nine (9)
17. Increases
18. The Reciprocal of square
19. Decrease
20. $|W|/|Q_H|$

III – True (or) False

21. False
22. True
23. False
24. False
25. True

IV – Answer Briefly

26. $G = H - TS$, H – enthalpy, T – temperature, S – entropy (1/2 mark); during change of phase, G remains constant (1/2 mark)
27. the coefficient of performance of a reversible refrigerator equals to the ratio of heat extracted from cold reservoir to the work done on refrigerant = $|Q_C|/|W|$

28. $dQ = dU + dW$ – first law, $dQ = TdS$, for a reversible process – second law; therefore, $TdS = dU + dW$ (1/2 mark); explanation of symbols (1/2 mark)
29. Book work – any one of 3 statements
30. A collection of systems with different microstructure (microstate) but representing the same macrostate (1/2 mark); types: microcanonical, canonical and grandcanonical (1/2 mark)

Section – B (Any Five, 5 marks each) (Time: 2 ½ hrs for Secs. B and C)

- $\eta = (1/3) m v / \sigma$; mean speed $v = \sqrt{(8kT/\pi m)}$ and $\sigma = \pi d^2$, where d = diameter of molecule, k = Boltzmann constant, m – mass of molecule, T – temperature. Taking $T = 300$ K and $m = (12+32)$ amu; 1 amu = 1.67×10^{-27} kg, substituting the values, we obtain $d = 0.45$ nm
- reversible, isothermal expansion: $PV = \text{constant}$, so final volume $V_f = 32 \text{ m}^3$, temperature remains constant = 400 K, work done = $RT \log(V_f - V_i) = 6.7 \times 10^6$ J, heat absorbed = work done and hence change in internal energy is zero (2 ½ marks);
 - reversible, adiabatic process: $PV^\gamma = \text{constant}$, γ - ratio of specific heats = 5/3, final volume $V_f = 13.9 \text{ m}^3$, $T = 174$ K, work done = $(P_i V_i - P_f V_f) / (\gamma - 1) = 2.74 \times 10^6$ J, heat absorbed = zero and change in internal energy = -2.74×10^6 J (2 ½ marks)
- Entropy change for water at 273 (T_1) to 373 K (T_2) $\Delta S_1 = c_p \log(T_2/T_1) = 1310 \text{ J kg}^{-1} \text{ K}^{-1}$ (2 ½ marks), entropy change for change of state $\Delta S_2 = \ell / T_2 = 6060$, so total change = 7370 $\text{J kg}^{-1} \text{ K}^{-1}$ (2 ½ marks)
- Direct application of Clausius-Clapeyron equation: $dT = T (V_f - V_i) dP / \ell = 0.03$ K
- $N = 3$; $g_1 = 3$, $N_1 = 2$; $g_2 = 2$, $N_2 = 1$; $W(\text{B-E}) = (g_j + N_j - 1)! / (g_j - 1)! N_j! = 12$
and $W(\text{F-D}) = g_j! / (g_j - N_j)! N_j! = 6$
- Standard Book work
- Standard Book work

Section – C (Any Three, 15 marks each)

- Text Book Material, a) 3 marks for assumptions and 6 marks for derivation
b) 3 marks for each deduction
- Text Book Material, 2 marks for the principle; description of refrigeration cycle with a neat diagram – 10 marks; 3 marks for coefficient of performance
- Text Book Material, a) 2 marks for each statement; b) 1 mark for definition and 4 marks for derivation using ideal gas in Carnot cycle; c) 3 marks each for the two derivations
- Standard Text Book Material, 8 marks for theory and 7 marks for experiment
- Stand Text ook Material, a) 6 marks for the derivation; b) 3 marks each for the three deivations