# STELLA MARIS COLLEGE (AUTONOMOUS) CHENNAI – 600 086. (For candidates admitted during the academic year 2011-2012 and thereafter) SUBJECT CODE : 11PH/MC/MP34

#### B.Sc. DEGREE EXAMINATION NOVEMBER 2013 BRANCH III - PHYSICS THIRD SEMESTER BEG. No.

|                         |  |  | REG. No                 |  |                                       |  |
|-------------------------|--|--|-------------------------|--|---------------------------------------|--|
| COURSE<br>PAPER<br>TIME | : MA   | AJOR - CORE<br>ATHEMATICAL<br>MINUTES<br>SECT                                    | PHYSICS<br>FION – A     | ICS<br>MAX. MARKS : 30                                     |                                       |  |
|                         | TO BE AN   | NSWERED IN TH  |                         | TION PAPER ITS   | SELF                                  |  |
| ANSWER A                | ALL QUEST  | IONS:  |                         |  | ( <b>30x1=30</b> )                    |  |
| Choose the              | correct answ   | er:  |                         |  |                                       |  |
| 1. $a \times a$ a) b    |  | b) <i>b.a</i>  |                         | c) – $b \times a$  | d) <i>a. b</i>                        |  |
| 2. Two<br>a) 0          | vectors are co   | ollinear if and only<br>b) 1   | if $a \times b$         | =<br>c) -1   | d) ∞                                  |  |
|                         |  | the das irrotational if b) $\nabla . F$  |                         | c) $\nabla \times F = 1$                                   | d) $\nabla \times F = 0$              |  |
|                         |  | equation<br>b) Poisson   | on<br>c)                | Laplace  | d) Hamiltonian                        |  |
|                         |  | l vector then =<br>b) grad A   |                         | curl A   |                                       |  |
| 6. Curl<br>a) ∇.        | $\begin{array}{l} \operatorname{Curl} A = \dots \\ A \end{array}$                | b) ∇² <i>A</i>   | c)                      | $-\nabla A$  | d) $-\nabla^2 A$                      |  |
|                         |  | ation of $\vartheta = \nabla \psi$ , y<br>b) vector poten                        |                         | velocity potential   | d) wave potential                     |  |
|                         |  | cuit current equation<br>b) $i = \frac{E}{R} \left( 1 - e^{\frac{2}{R}} \right)$ |                         | $i = \frac{E}{R} \left( 1 + e^{\frac{-Rt}{L}} \right)$     | d) $i = \frac{E}{R} e^{\frac{Rt}{L}}$ |  |
| 9. The f<br>a) -        |  | ferential equation for $b -\lambda N$  | or radio act<br>c)      | ci c   | d) <i>λN</i>                          |  |
| a) n                    | $-p(x)\frac{dy}{dx}+\varphi$<br>on linear inhomogenear inhomogenear inhomogenear | •  | b)                      | ential equation of<br>non linear homog<br>linear homogeneo | eneous                                |  |
| 11. The 1<br>a) ±       |  | quation $\frac{d^2x}{dt^2} + k^2x =$<br>b) $\pm ix$                              | = 0  are<br>c) $\pm ik$ | d) ±   | k                                     |  |

121 12. .... is an example for second order differential equation a) *RL* circuit b) *RC* circuit c) *RLC* damped d) LC circuit 13.  $\Gamma_{\underline{1}} = \dots$ a)  $-\sqrt{\pi}$  b)  $-2\sqrt{\pi}$  c)  $\sqrt{\pi}$ d)  $2\sqrt{\pi}$ 14.  $P_0(x) = \dots$ a) 1 b) -1 c) 0 d) ∞ 15. The recurrence formula  $x P'_n(x) = P'_{n-1}(x) = \dots$ a)  $P_n(x)$  b)  $P'_n(x)$  c)  $nP_n(x)$ d)  $xP_n(x)$ Fill in the blanks; 16. *a*. *a* = \_\_\_\_\_. 17. *div* (*curl v* ) = \_\_\_\_\_. 18. The equation of a SHM is  $\frac{d^2y}{dx^2} + w^2x =$  \_\_\_\_\_. 19.  $\beta\left(\frac{1}{2}, \frac{1}{2}\right) =$ \_\_\_\_\_\_. 20. The first order differential equation for velocity v is \_\_\_\_\_\_.

#### State whether the following statements are true or false:

21. 
$$\int A \cdot ds = \iiint Curl A dv$$
  
22.  $\sin \theta = \frac{a.b}{|ab|}$ 

23. The first order differential equation for voltage drop across inductance L is  $L \frac{dI}{dt}$ 

24. 
$$\Gamma_0 = \Gamma_{-n} = \infty$$

25. Dead beat motion of a spring is also called oscillatory.

## **Answer briefly:**

26. S.T.  $\Gamma_1 = 1$ .

27. If r = ix + iy + iz, is the position vector then what is  $\frac{dr}{dt}$ ?

28. If  $\nabla$  is vector operator how is it defined?

29. Find the current if a capacitor is changed from  $2\mu c$  to  $6\mu c$  in 10m seconds?

30. S.T. acceleration  $a = v \frac{dv}{dx}$ 

## STELLA MARIS COLLEGE (AUTONOMOUS) CHENNAI – 600 086. (For candidates admitted during the academic year 2011-2012 and thereafter) SUBJECT CODE : 11PH/MC/MP34

#### B.Sc. DEGREE EXAMINATION NOVEMBER 2013 BRANCH III - PHYSICS THIRD SEMESTER

| COURSE | : | MAJOR - CORE                        |
|--------|---|-------------------------------------|
| PAPER  | : | MATHEMATICAL PHYSICS                |
| TIME   | : | 2 <sup>1</sup> / <sub>2</sub> HOURS |

MAX. MARKS: 70

## SECTION – B

#### **Answer any Five Questions:**

5x5=25

3x15=45

- 1. Find the value of a if  $A = a\hat{i} + \hat{j} + \sqrt{5}\hat{k}$  subtends an angle of  $60^{\circ}$  with  $4\hat{i} 5\hat{j} + \sqrt{5}\hat{k}$ .
- 2. Derive an expression for Gauss's law in differential form.
- 3. Derive Bernoulli's first order differential equation.
- 4. An inductance of 2*H* and a resistance of 20 ohm are connected in series with a cell of emf 100V. Find the current at the end of 0.01 sec.
- 5. A spring of stiffness k = 700 N/M is fixed at one end and other end has a load of 7 kg. It is pulled by 0.05 m and released. Find the period of oscillation.
- 6. S.T.  $\Gamma_{\frac{1}{2}} = \sqrt{\pi}$ .
- 7. S.T.  $(x^2 1) P'_n(x) = n[xP_n P_{n-1}].$

## SECTION – C

## Answer any Three Questions:

- 8. P.T.  $(y^2 z^2 + 3yz 2x)\hat{i} + (3xz + 2xy)\hat{j} + (3xy 2xz + 2z)\hat{k}$  is both solenoidal and irrotational.
  - 9. State and prove Stoke's theorem.
  - 10. Derive expression for population growth over the years using first order differential equation.
  - 11. Get the characteristic  $2^{nd}$  order differential equation and give its solution.
  - 12. Deduce Rodrigue's formula for Legendre polynomial and hence show that

$$\int_{-1}^{+1} P_n(x) dx = 0 \text{ when } n \neq 0 \text{ and } \int_{-1}^{+1} P_n(x) dx = 2 \text{ when } n = 0.$$

\*\*\*\*\*\*\*