

**STELLA MARIS COLLEGE (AUTONOMOUS) CHENNAI – 86**  
**(For candidates admitted from the academic year 2023 – 2024 and thereafter)**

**B. COM DEGREE EXAMINATION, APRIL 2026**  
**COMMERCE**  
**FOURTH SEMESTER**

**COURSE** : **ALLIED CORE**  
**PAPER** : **MATHEMATICS FOR COMMERCE**  
**SUBJECT CODE** : **23MT/AC/MT45**  
**TIME** : **3 HOURS** **MAX. MARKS: 100**

Q. No.	SECTION A (5 × 2 = 10) Answer ANY FIVE questions	CO	KL
1.	State Cayley Hamilton theorem.	1	1
2.	Find the equation whose roots are 1 and $1 - \sqrt{2}$ .	1	1
3.	Write Newton-Raphson's formula.	1	1
4.	State Simpson's one third rule.	1	1
5.	What are slack and surplus variables?	1	1
6.	Define degenerate and non-degenerate basic solution.	1	1
Q. No.	SECTION B (10 × 1 = 10) Answer ALL questions	CO	KL
7.	An application of Cayley Hamilton theorem is to find the _____ of the matrix. a) inverse <span style="margin-left: 150px;">b) eigen vectors</span> c) eigen values <span style="margin-left: 150px;">d) All of the above</span>	2	2
8.	A square matrix $A$ is an unitary matrix if _____. a) $AA^{\theta} = I$ b) $A^T A = I$ c) $A^{\theta} A^T = I$ d) None of these	2	2
9.	If $a + \sqrt{b}$ is a root, then _____ is also a root. a) $a - \sqrt{b}$ b) $\sqrt{a} + \sqrt{b}$ c) $\sqrt{a} - b$ d) None of these	2	2
10.	For a cubic equation whose roots are in geometric progression, the general roots can be assumed to be _____. a) $\alpha + \beta, \alpha, \alpha - \beta$ <span style="margin-left: 150px;">b) <math>\alpha, \alpha - 2k, \alpha + k</math></span> c) $\frac{\alpha}{\beta}, \alpha, \alpha\beta$ <span style="margin-left: 150px;">d) <math>\frac{1}{\alpha}, \frac{1}{\beta}, \frac{1}{\alpha\beta}</math></span>	2	2
11.	The method of tangents is also known as _____. a) Newton-Raphson's method <span style="margin-left: 150px;">b) Bolzano method</span> c) Gauss-Elimination method <span style="margin-left: 150px;">d) None of these</span>	2	2

12.	Gauss Elimination comes under _____ method. a) Direct method b) Indirect method c) Iterative method d) None of these	2	2
13.	Simpson's three eighth rule is obtained from _____. a) Trapezoidal Rule b) Newton – Cote's formula c) Simpson's one third rule d) None of the above	2	2
14.	The error in Trapezoidal rule is of order _____. a) $h^2$ b) $h^3$ c) $h^4$ d) $h^5$	2	2
15.	Any solution to a LPP which satisfies the non-negativity restrictions of the LPP is called its _____. a) solution b) optimal Solution c) basic solution d) feasible solution	2	2
16.	Big $M$ – method is also referred as _____. a) Two phase method b) <i>cycling</i> c) Method of penalties d) None of the above	2	2
<b>Q. No.</b>	<b>SECTION C (<math>2 \times 15 = 30</math>)</b> <b>Answer ANY TWO questions</b>	<b>CO</b>	<b>KL</b>
17.	Verify Cayley-Hamilton theorem and hence find the inverse of the matrix $A = \begin{pmatrix} 1 & 2 & -2 \\ 1 & 1 & 1 \\ 1 & 3 & -1 \end{pmatrix}$ .	3	3
18.	a) Solve the equation $x^3 - 9x^2 + 14x + 24 = 0$ if two of the roots are in the ratio 3:2. b) Solve the equation $32x^3 - 48x^2 + 22x - 3 = 0$ given that the roots are in A.P. <b>(9+6)</b>	3	3
19.	Find the real root of the equation $x^3 - 3x + 1 = 0$ which lies between 1 and 2 correct to three places of decimal using bisection method.	3	3
20.	Solve the LPP using simplex method: Maximize $z = 4x_1 + 10x_2$ Subject to $2x_1 + x_2 \leq 50$ $2x_1 + 5x_2 \leq 100$ $2x_1 + 3x_2 \leq 90$ and $x_1, x_2 \geq 0$	3	3

<b>Q. No.</b>	<b>SECTION D (2 × 15 = 30)</b> <b>Answer ANY TWO questions</b>	<b>C</b> <b>O</b>	<b>K</b> <b>L</b>												
21.	Every square matrix can be uniquely expressed as a sum of a symmetric and a skew-symmetric matrix. Justify and express the same for the matrix $\begin{bmatrix} 0 & 5 & -3 \\ 1 & 1 & 1 \\ 4 & 5 & 9 \end{bmatrix}.$	4	4												
22.	Find the root of the equation $3x - \cos x - 1 = 0$ correct to four places of decimal, the root between 0 and 1 by using Newton-Raphson's method.	4	4												
23.	Evaluate $\int_0^{10} \frac{dx}{1+x^2}$ by using Trapezoidal rule and Simpson's one third rule.	4	4												
24.	Apply Big – M method to solve the following: Minimize $Z = 4x_1 + 3x_2$ Subject to $2x_1 + x_2 \geq 10$ $-3x_1 + 2x_2 \leq 6$ $x_1 + x_2 \geq 6$ $x_1, x_2 \geq 0$	4	4												
<b>Q. No.</b>	<b>SECTION E (2 × 10 = 20)</b> <b>Answer ANY TWO questions</b>	<b>C</b> <b>O</b>	<b>K</b> <b>L</b>												
25.	Find the eigen values and eigen vectors for the matrix $A = \begin{pmatrix} 1 & 2 \\ 5 & 4 \end{pmatrix}$ .	5	5												
26.	If $\alpha, \beta, \gamma$ are the roots of the equation $x^3 + px^2 + qx + r = 0$ find (i) $\sum \alpha^2$ (ii) $\sum \alpha^2 \beta$ (iii) $\sum \alpha^2 \beta^2$ (iv) $(\alpha + \beta)(\beta + \gamma)(\gamma + \alpha)$	5	5												
27.	Solve the following system of equations by Gaussian elimination method: $x + y + z = 9$ $2x - 3y + 4z = 13$ $3x + 4y + 5z = 40$	5	5												
28.	The population of a certain town is shown in the following table; find the rate of growth of the population in 1961. <table border="1" style="margin-left: auto; margin-right: auto;"> <tbody> <tr> <td>Year <math>x</math></td> <td>1931</td> <td>1941</td> <td>1951</td> <td>1961</td> <td>1971</td> </tr> <tr> <td>Population <math>y</math></td> <td>40.62</td> <td>60.80</td> <td>79.95</td> <td>103.56</td> <td>132.65</td> </tr> </tbody> </table>	Year $x$	1931	1941	1951	1961	1971	Population $y$	40.62	60.80	79.95	103.56	132.65	5	5
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